

DEPARTMENT OF MATHEMATICS

PROFESSORS: E. T. DAVIES
H. A. JAHN
B. THWAITES



THE UNIVERSITY
SOUTHAMPTON
TEL. 54071-2-3-4

ht October 1963

Dear Tom,

I enclose an application form
for ATM.

Their journal is ~~the~~ Mathematics
Teaching. Runs from 1955 - printed
from 1962 (I think that date must be
wrong). Liverpool Institute have copies
from 1960. Bill Brookes here has some
back copies which he can loan or
preferably sell you if you can't get hold
of the Institute ones.

The National Council of Teachers
of Mathematics publishes 'Mathematics
Teacher' and 'Arithmetic Teacher'.
Unfortunately the Liverpool Institute
library has neither of these. Their
Council also publishes year books.
The present one is number 28.
They each have a special title

so the best way to find them will
be to visit the Institute Library.

Many of them are referred to in
the Bibliography produced by Bill Brooker
of which Porteus has 30 copies.

I was wrong about the Maths
Teaching reprinting from the Maths
Teacher. The reprints were from

Bulletin de l'Association des
Professeurs de Mathématiques de
l'Enseignement Public.

The corresponding Belgian journal,
which started at about the same
time as ATM is *Mathematica
et Pedagogia* which is said
to be first rate.

Looking forward to being
reunited with my wedges.

Yours

Frank

DEPARTMENT OF MATHEMATICS

PROFESSORS: E. T. DAVIES
H. A. JAHN
B. THWAITES



THE UNIVERSITY
SOUTHAMPTON
TEL. 54071-2-3-4

I observe that no probability theory book discusses the existence of limits of arithmetic means, but simply sets to work to approximate to them.

Now if $\frac{s_1 + \dots + s_n}{n} \rightarrow l$,

$$s_n = o(n),$$

and it is easy to show that if the s_n are bounded, then the means tend to a limit. But the only $N+S$ conditions which I have been able to find are in terms of the series $\sum a_n$ of which the s_n are partial sums.



Do you know any conditions on
a sequence of terms a_n
which are $N+S$ for the
convergence of the sequence
of arithmetic means?

7.